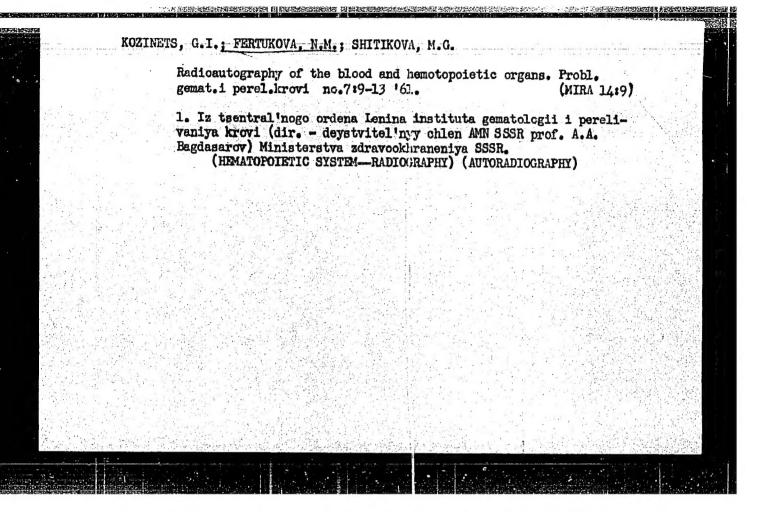
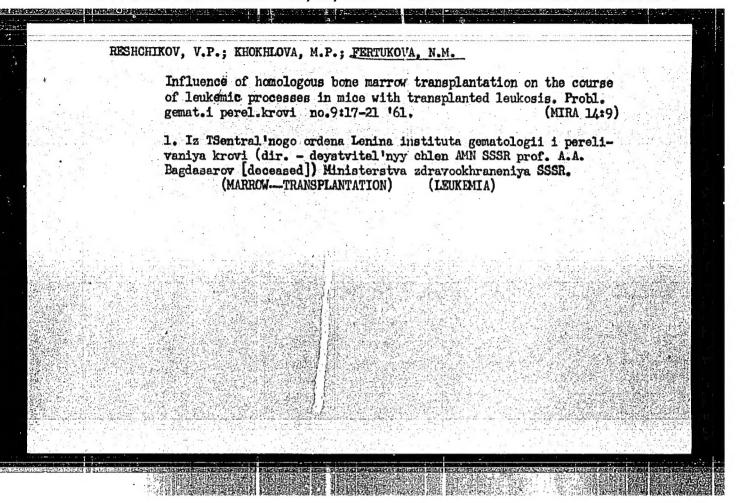
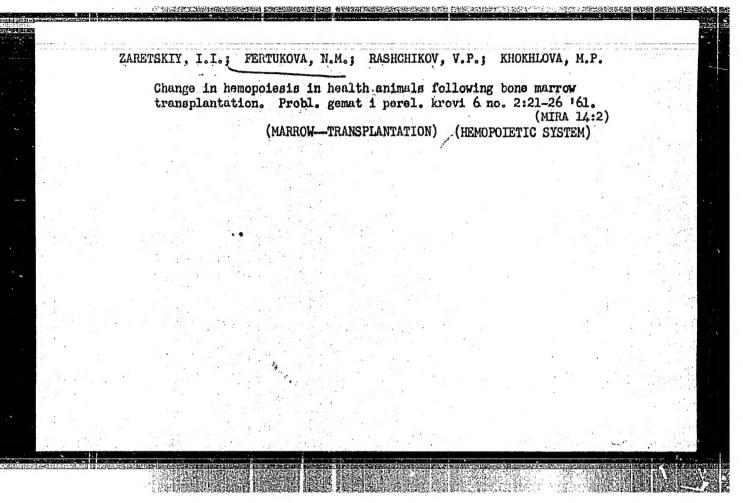
tex inil 123-1-709 Translation from: Referativnyy Zhurnal, Mashinostroyeniye, 1957, Nr 1, p. 108 (USSR) AUTHOR: Fertman, V. S. Tentative Introduction of End Mills of Advanced Design TITLE: (Opyt vnedreniya kontsevykh frez progressivnoy konstruktsii) PERIODICAL: Sbornik ratsional'n. predlozheniy, Ministerstva Elektro-. tekhnicheskoy Promyshlennosti SSSR, 1956; Nr 1 (59) pp. 14-16 ABSTRACT: It is noted that the end mills design listed under FOCT 3958-47 and Toot 3959-47 have several shortcomings which have been eliminated in the new end mills. The end mills work smoother due to the wide-tooth angle (40° instead of 20°); the removal of chips has also been improved. Such mills permit additional milling to a diameter smaller by 10 to 15%. The design of the cutting lip of the new mills is presented. L.A.D. Card 1/1

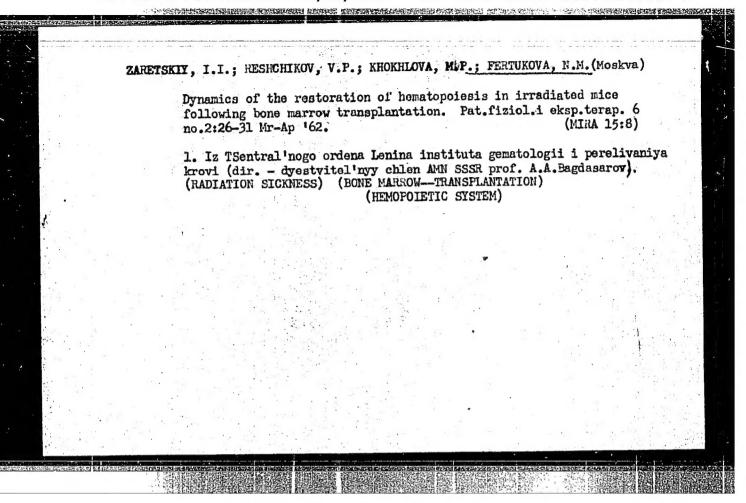
TURAI, Artur; (Budapest); HIMFER, Frigyes; (Budapest); RARDI, Kornel (Budapest); FERTGE, Istvan (Budapest)

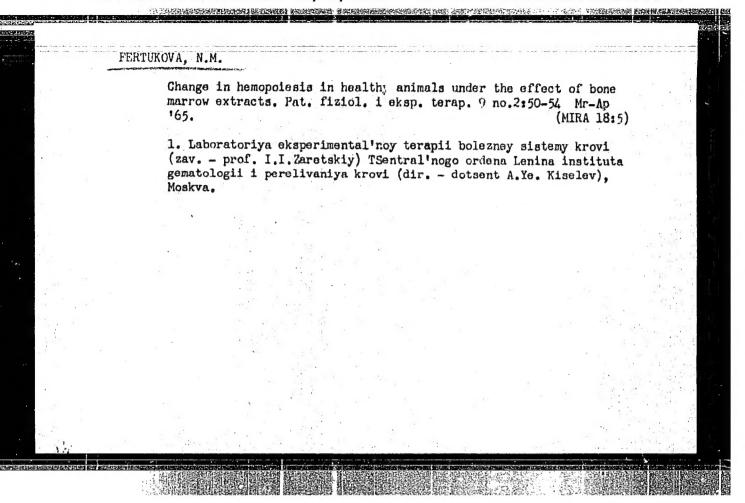
Forum of innovators. Ujit lap 16 no.18:30 25 S '64

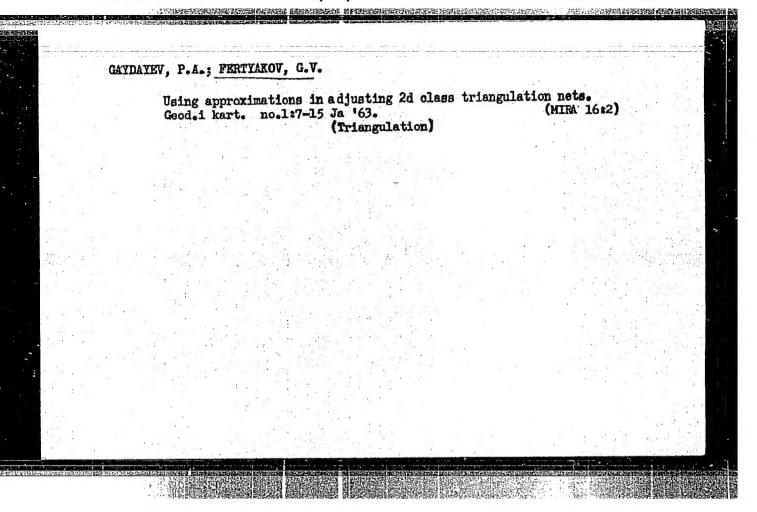


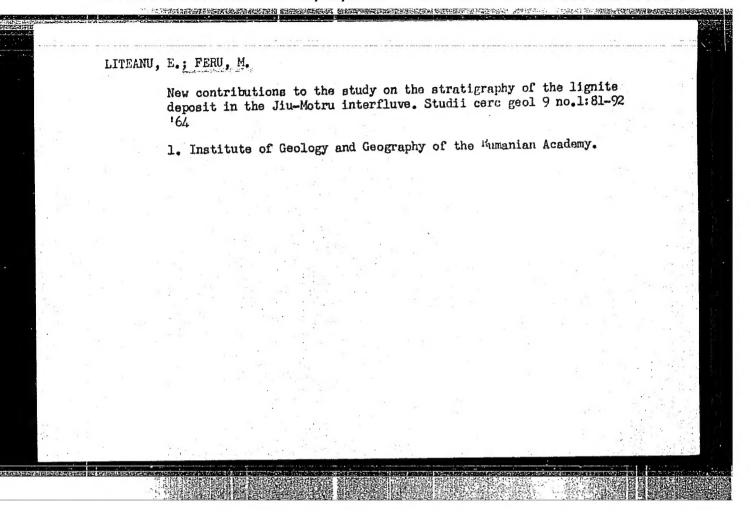












Food for turtledoves (Streptolelia decaceto decaceto Friv, and Streptopelia turtur turtur Linn) p. 436 BIOLOGRIA. (Slovenska akasemia vied) Bratislava CZECHOSLOVAKIA Vol. 10, No. 4. 1955. SOURGE: East European Accession List (EEAL) Library of Congress. Vol. 5, No. 1 January, 1956a

-107-57-1-41/60

AUTHOR: Feruk, V.

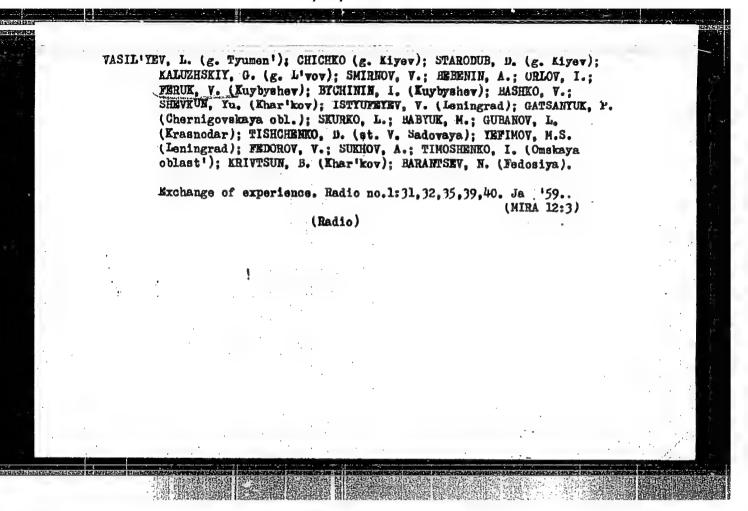
TITLE: Making an Instrument Pointer. Experience Exchange (Izgotovleniye samodel'noy strelki. Obmen opytom)

PERIODICAL: Radio, 1957, Nr 1, p 37 (USSR)

ABSTRACT: A method is suggested for making a measuring-instrument pointer from aluminum foil by rolling foil around a straight section of wire and then withdrawing the wire from the foil tubing.

AVAILABLE: Library of Congress

Card 1/1



LAGUNOV, V.; SHUREMOV, A.; TROFIMOV, M.; KOSTYKOV, I., slesar'; FERULEV, A.

In organizations of our society. Isobr.i rats. no.10: 16-17 0 59. (MIRA 13:2)

1. Predsedatel' Yakutskogo oblastnogo soveta Vsesoyuznogo obshchestva izobretateley i ratsionalizatorov (for Logunov).

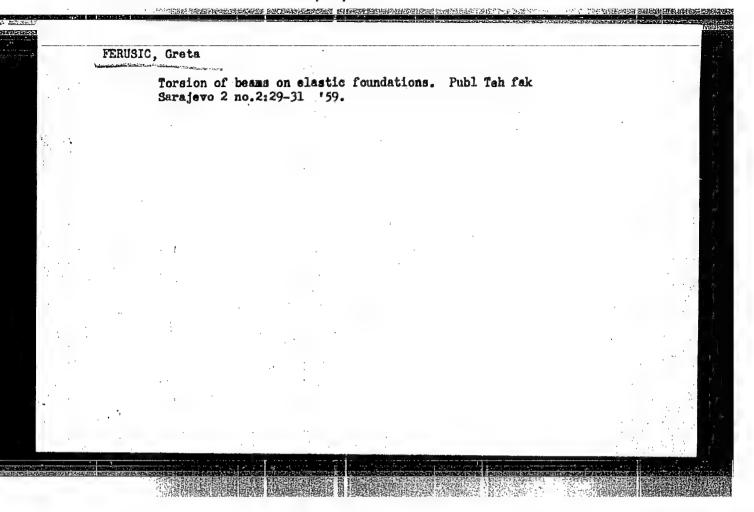
2. Starshiy inzhener byuro tekhnicheskoy informatsii i izobretatel'stva, L'vov (for Shuremov). 3. Predsedatel' soveta Vsesoyuznogo obshchestva izobretateley i ratsionalizatorov Vel'giyskoy bumeshnoy fabriki, g.Borovichi (for Trofimov). 4. Zavod "Soyuz," predsedatel' soveta Vsesoyuznogo obshchestva izobretateley i ratsionalizatorov, Leningrad (for Kostykov). 5. Predsedatel' zavodskoy organizatsii Vsesoyuznogo obshchestva izobretateley i ratsionalizatorov Lys'venskogo metallurgicheskogo zavoda, g.Lys'va, Permskoy oblasti (for Ferulev).

(Efficiency, Industrial)

FERULIK, Alois

Nase lesy. (Our Forests) Boskovice, Okresni vlastivedne museum a vlastivedny krouzek, 1957. 7 p.

Bibliograficky katalog, CSR, Ceske knihy, No. 36. 15 Oct 57. p. 784.



FERUSIC, S.

Experiences in the application of radio-istopes in our industry. I. Defectos-copy. (To be contd.) p. 1293.

(TEHNIKA. Vol. 12, No. 8, 1957, Beograd, Yugoslavia)

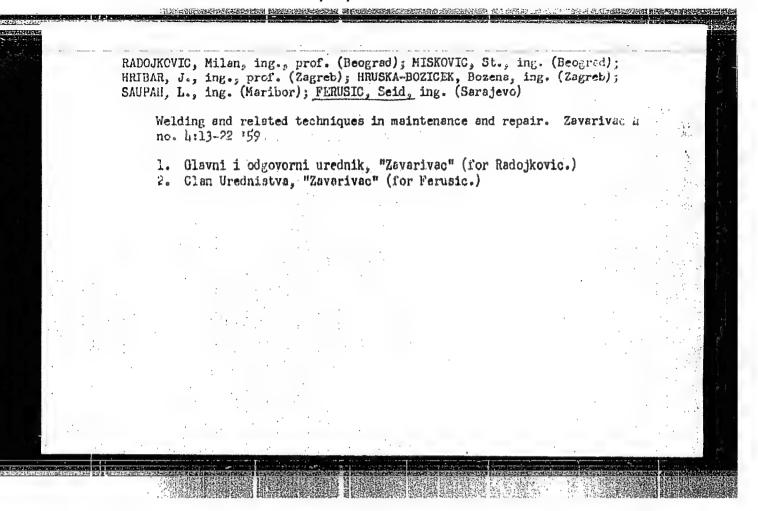
SO: Monthly List of East European Accessions (EEAL) Lc. Vol. c, No. 10, October 1957. Uncl.

FERUSIC, S.

Experiences in the application of radio-isotopes in our industry. III. Defectoscope.

p. 1632 (Tehnika) Vol. 12, no. 10, 1957, Belgrade, Yugoslovia

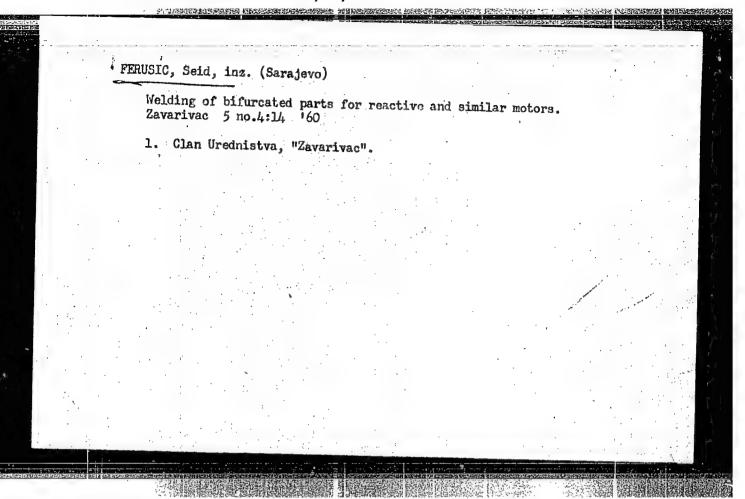
SO: MONTHLY INDEX OF EAST EUROPEAN ACCESSIONS (EEAI) LC, VOL. 7, NO. 1, JAN. 1958

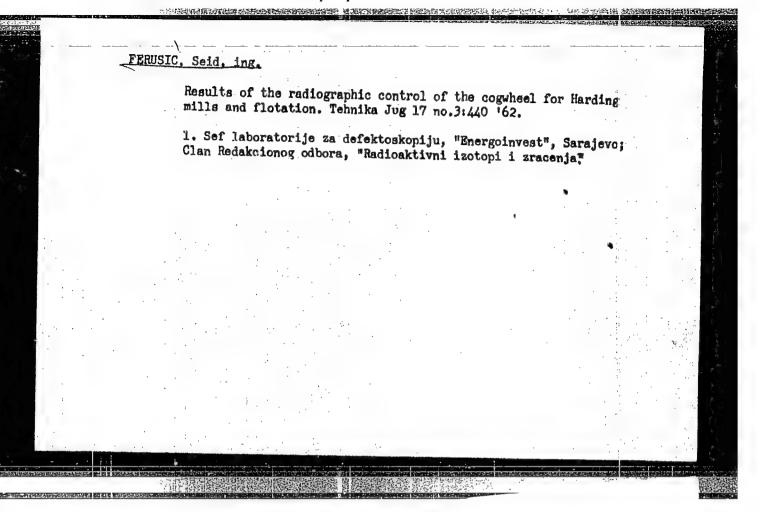


VLAJKOVIC, M., ing.; FERUSIC, Seid, ing. (Sarajevo)

Modern dosiometric devices for redioactive radiation. Zavarivac li
no. 1:21-29 '59.

1. Clan Urednistva, "Zavarivac" (for Ferusic)





Y/001/62/000/006/001/001 D409/D301

Ferušić, Seid, Engineer, Docent (Sarajevo)

AUTHOR:

Gamma radiography

TITLE:

Tehnika, pho. 6, 1962, 1044-1048

The article deals briefly with the principles and advantages of industrial gamma radiography and with its increasing PERIODICAL: application by Yugoslav industry. With the help of the Savezna komisija za nuklearnu energiju (Federal Commission for Nuclear komisija za nuklearnu energiju (Federal Commission for Nuclear Energy), five industrial gamma defectoscopy centers have been founded in Yugoslavia and about 30 enterprises use radiographic quality control methods, including gamma defectoscopy. The latest Yugoslav "JU-DE 5" defectoscope for iridium-192 and caesium-137 Yugoslav "JU-DE 5" defectoscope for and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up to 1.500 yadioisotopes weighs about 10 kg and has an activity of up yadioisotopes weighs about 10 kg and has an activity of up yadioisotopes weighs about 10 kg and has an activity of up yadioisotopes yadioisotop radioisotopes weighs about 10 kg and has an activity of up to 1,500 m-curie. The quality of welds and application of radiographic testm-curie. The quality of welds and application of radiographic touries ing methods to structures exposed to high pressures and temperatures is governed by a law issued in 1957 and 1959, while the technical-

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Gamma radiography

Y/001/62/000/006/001/001 D409/D301

ities of non-destructive testing of materials and welds are covered by Yugoslav standard specifications. Considerable research is being carried out by the Laboratory of Welding and Defectoscopy of the "Energoinvest" Istraživačko-razvojni centar (Research and Development Center) on the greater application of densitometric measurements in flaw-detecting radiographs. The article will be continued. There are 2 tables, 8 figures and 5 references: 4 Soviet-bloc and 1 non-Soviet-bloc.

ASSCCIATION:

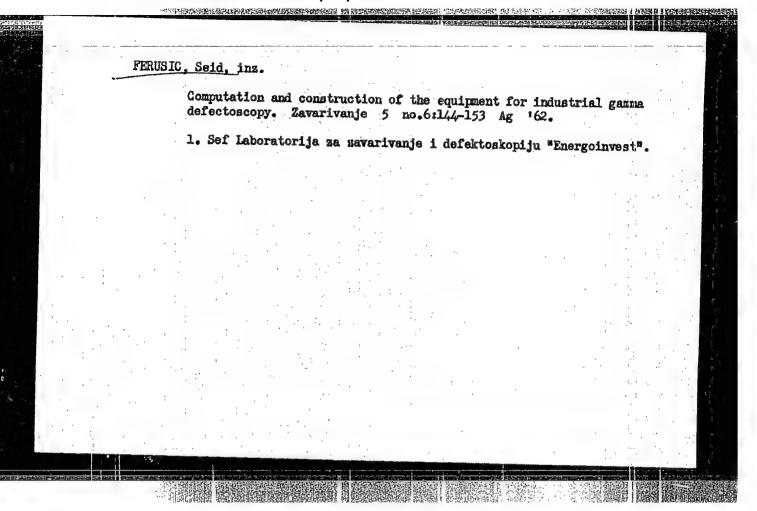
Gradjevinski fakultet (Construction Division),

Sarajevo -

SUBMITTED:

November 15, 1961

Card 2/2





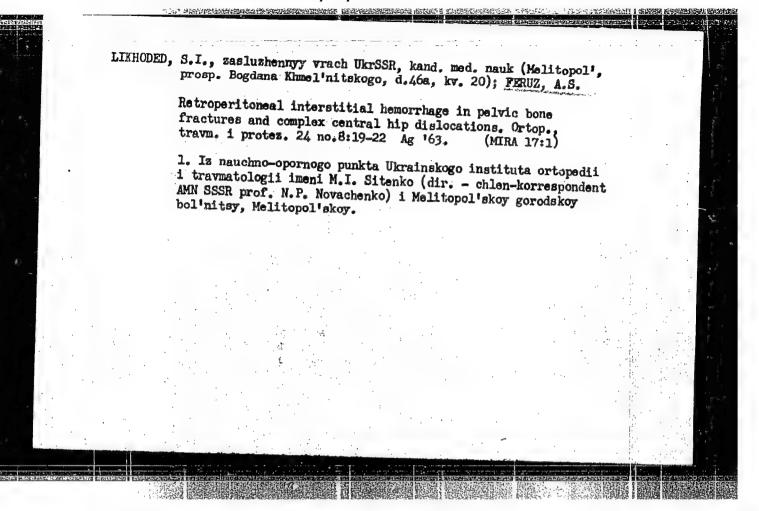
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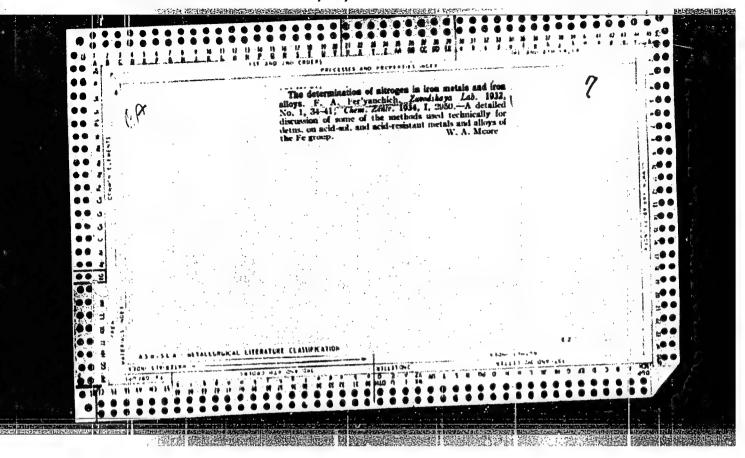
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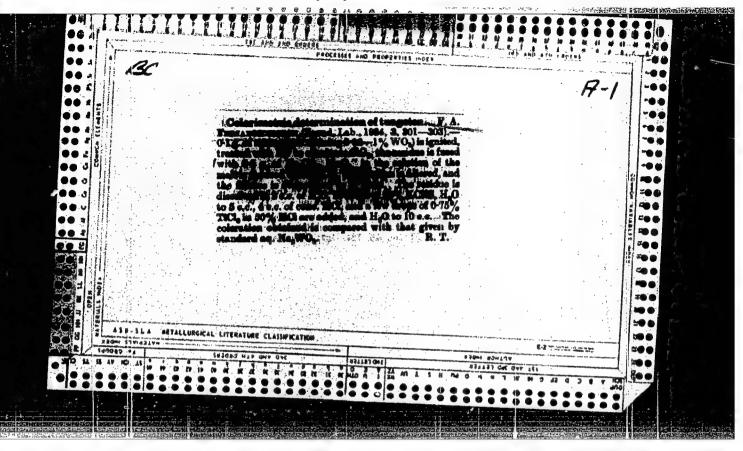
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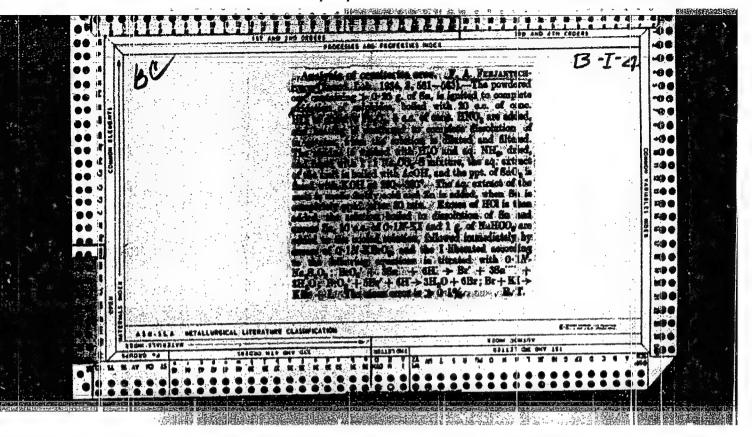
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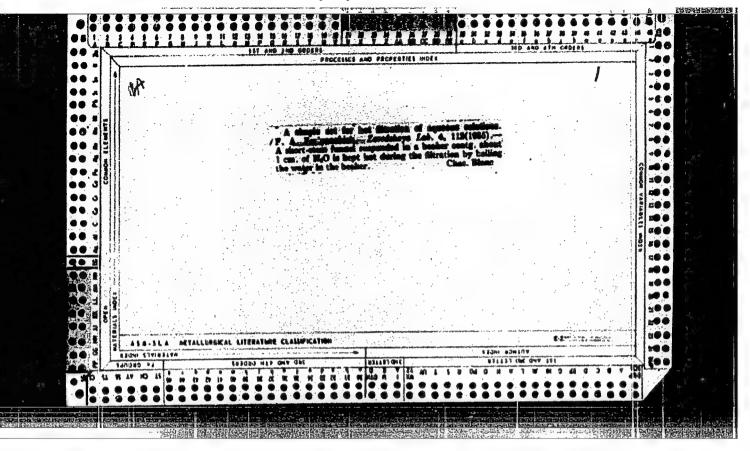
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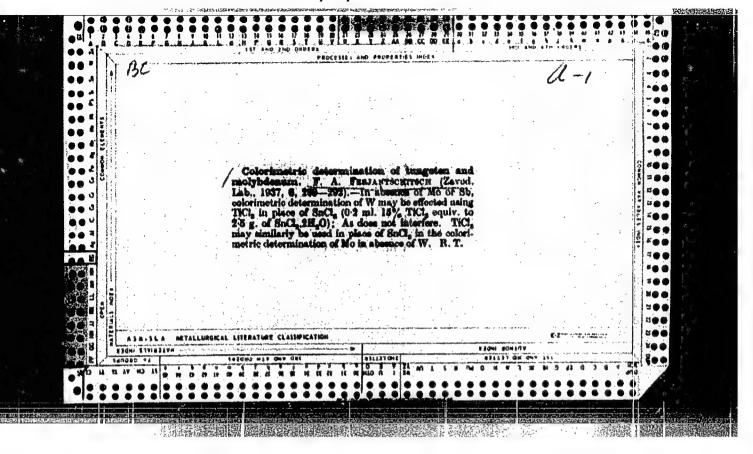


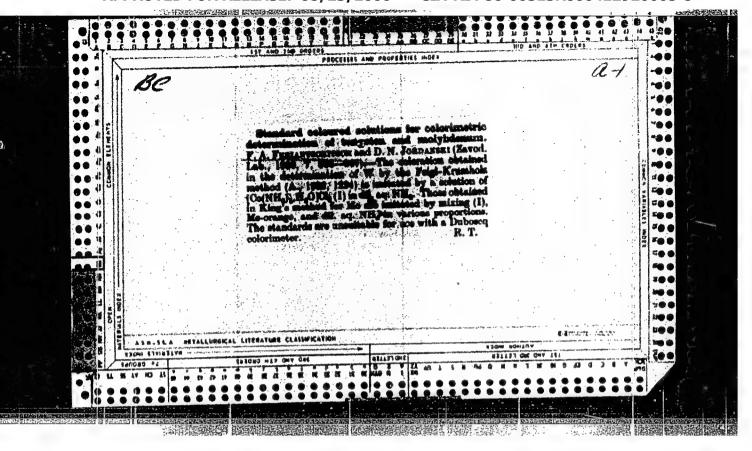


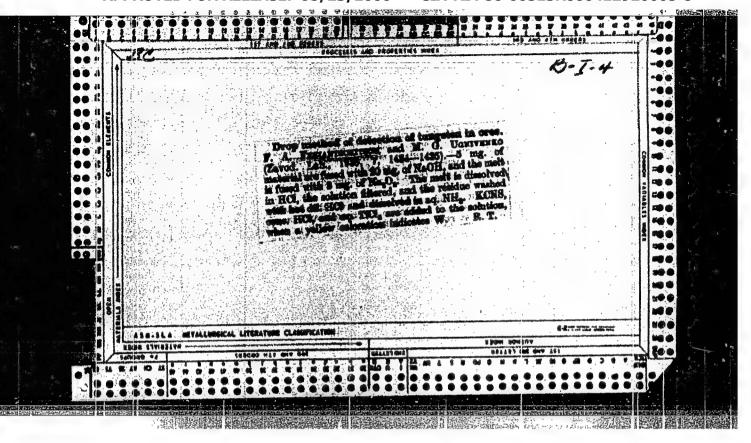


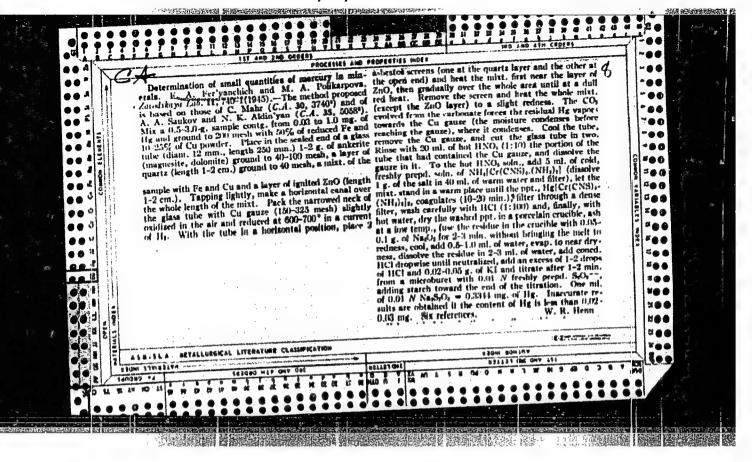


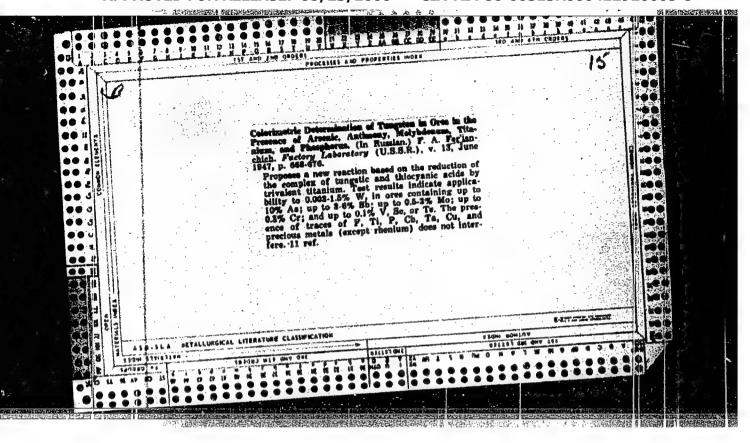


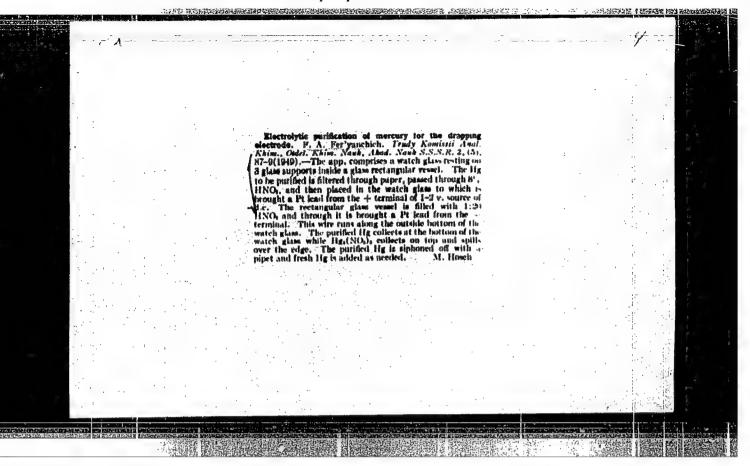












SOV/137-58-9-20248

Translation from: Referativnyy zhurnal, Metallurgiya, 1958, Nr 9, p 304 (USSR)

AUTHOR: Fer'yanchich, F.A.

TITLE: Chemical Microanalysis of Tantalo-niobiates (Khimicheskiy

mikroanaliz tantalo-niobatov)

PERIODICAL: Tr. N.-i. gorno-razved. in-ta "Nigrizoloto", 1957, Nr 23,

pp 125-138

ABSTRACT: The following constituents are determined in the full micro-chemical analysis of tantalo-niobiates: SiO₂, TiO₂, Nb₂O₆,

Ta₂O₅, CaO, MgO, MnO, Al₂O₃, Fe₂O₃, FeO, ThO₂, Ce₂O₃,

 U^{4+} , UO_2 , CuO, PbO, rare earths, Bi_2O_3 , H_2O , ZrO_2 ,

(+HfO₂), SnO₂, and the losses on roasting (LOR). The analysis is performed on 3-4 test samples. In the first sample most of the components are determined; in the second, the LOR and the

MnO; in the third and the fourth the FeO. The first two weighed samples of the material are fused with K2S2O7, the last two are

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decomposed with HF and H₂SO₄. At high SiO₂ contents the weighed sample is fused with Na₂CO₃, and the course of

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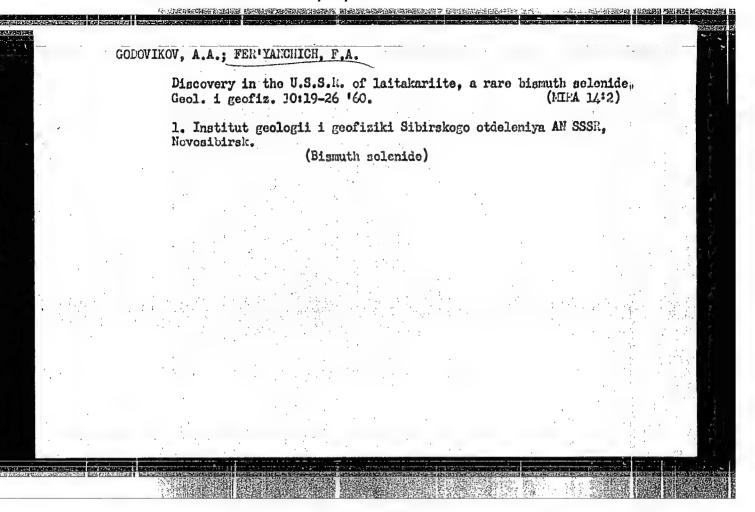
Chemical Microanalysis of Tantalo-niobiates

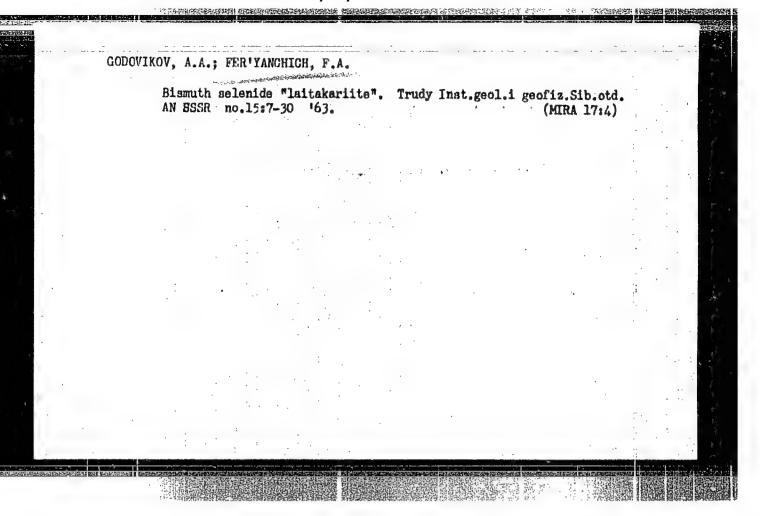
analysis is similar to that of the usual analysis of silicates. SiO₂, Nb₂O₅, and Ta₂O₅ are separated by dissolving the pyrosulfate melt in a solution of pyrogallol. Pyrogallol, H₂C₂O₄, cupferron, phenylarsonic acid, oxine, and KlO₃ are used in the microanalysis for the precipitation and separation of the (NH₄) S-group metals. Maximum attention should be given to the quality of the reagents. A control test is conducted for each series of similar determinations, especially for the determination of Si, Al, Ca, Na, Fe, H₂O, CO₂, S, and As. The precision of the microanalysis is characterized by the mean difference between two parallel determinations which should not exceed 1.00 abs.%. when the contents of the component is 100-30% and 0.50 abs.% at 30-10%. Drawings of the King apparatus, of a simple air bath, and of the hydrogen-sulfide apparatus are given.

1. Minerals-Determination 2. Niobium-tantalum compounds-Microanalysikh.Sh.

3. Niobium-tantalum compounds--Chemical analysis

Card 2/2





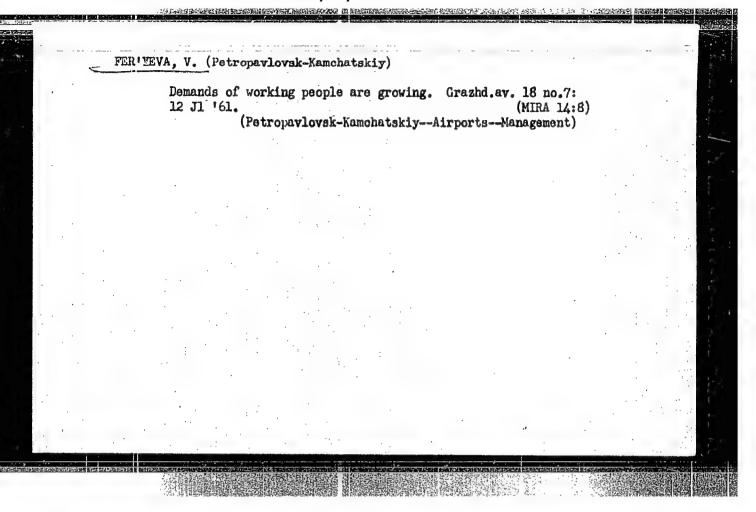
FERYDLIN, L.Kh.; SHARF, V.Z.; ABIDOV, M.A.; GLUKHOVSTEV, V.G.

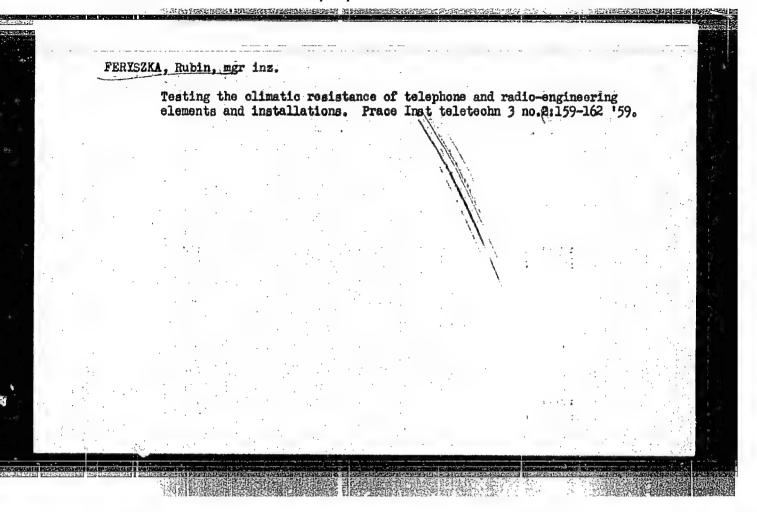
Dehydration of methylcyclopropylcarbinol in the presence of acid garalysts. Izv.AN SSSR.Otd.khim.nauk no.10:1843-1849 0 '62.

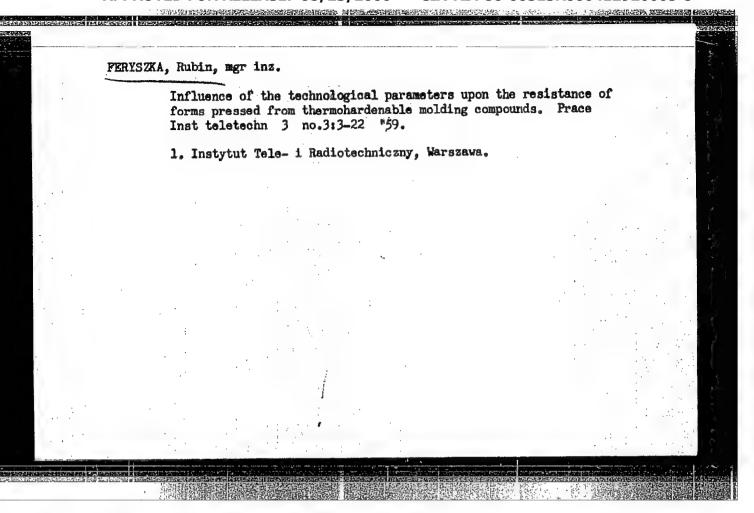
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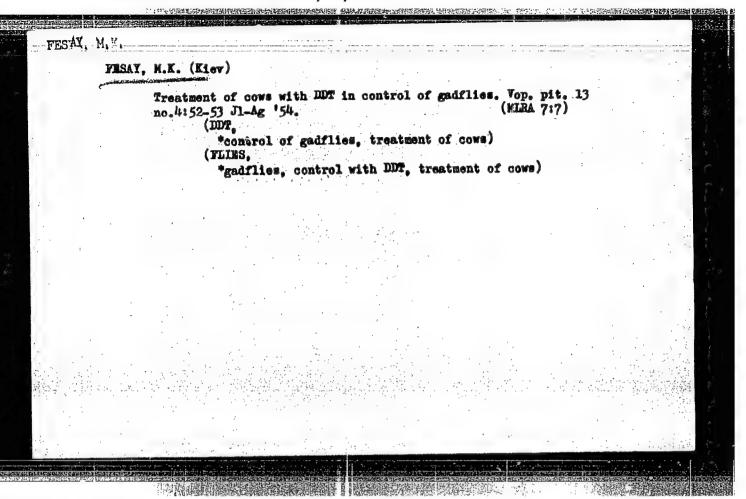
1. Institut organicheskoy khimii im. N.D.Zelinskogo AN SSSR.

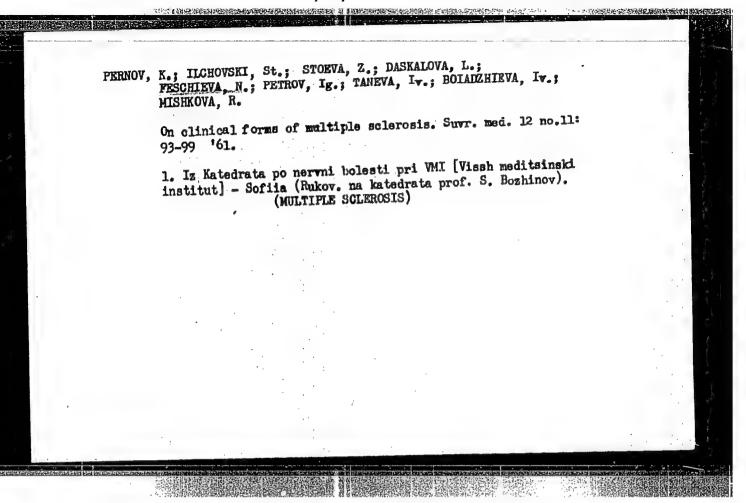
(Methanol) (Dehydration (Chemistry)) (Catalysts)

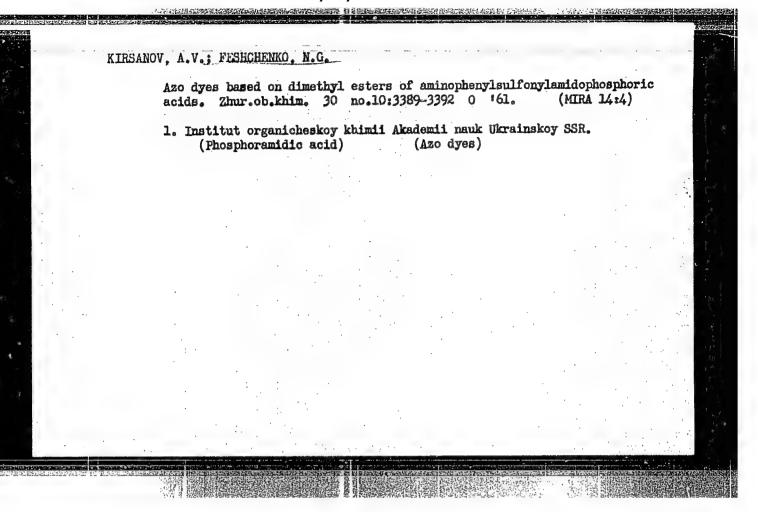


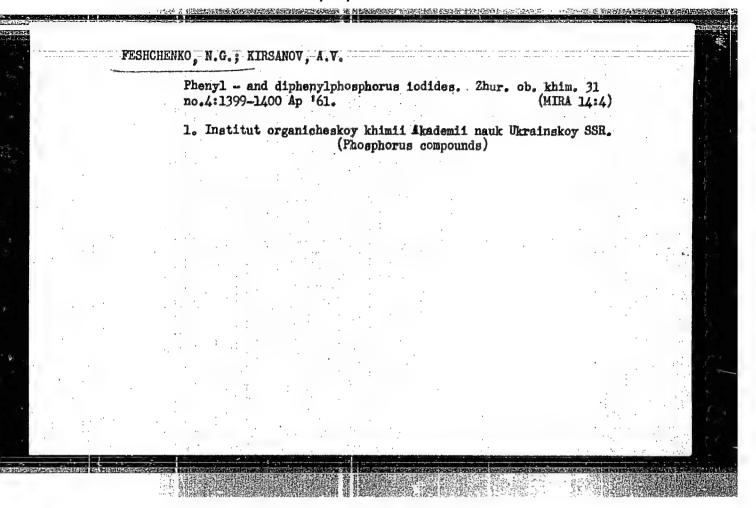












24.4100

2675µ S/021/60/000/011/002/009 D204/D302

AUTHORS:

Savin, H.M., Academician UkrSSR, and Feshchenko, S.F.

TITLE:

On the dynamic forces in an elastic viscous thread

of variable length

PERIODICAL: Akademiya nauk Ukrayins'koyi RSR. Dopovidi, no. 11, 1960, 1469 - 1475

TEXT: The present article proposes an asymptotic method of solution for an ascent of three stages 1) uniformly accelerated motion 2) uniform motion 3) uniformly retarded motion. A system of linear differential equations of the form

$$A(\tau,s)\frac{d^{s}q}{dt^{s}} + \epsilon C(\tau,s)\frac{dq}{dt} + B(\tau,s)q = P(\tau,s)$$
 (1)

is considered, with the initial conditions $(q)_{t=0} = q_0$, $(\frac{dq}{dt})_{t=0} = q_0$ [Abstractor's note: q_0 is incorrectly written as q_0] where Card 1/5

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On the dynamic forces in an ...

q and $P(\tau, \epsilon)$ are n-dimensional vectors, and $A(\tau, \epsilon)$, $C(\tau, \epsilon)$ and $B(\tau, \epsilon)$ are square matrices of the n-th order of the form

$$A(\tau,s) = \sum_{n=0}^{\infty} s^{s} A_{s}(\tau), \quad C(\tau,s) = \sum_{n=0}^{\infty} s^{s} C_{s}(\tau), \quad B(\tau,s) = \sum_{n=0}^{\infty} i^{s} B_{s}(\cdot), \tag{2}$$

where $\tau = \epsilon t$, and ϵ is a small positive parameter. Is is assumed that the matrices $A_{B}(\tau)$, $C_{B}(\tau)$, $B_{B}(\tau)$ and the vectors $P_{B}(\tau)$ (s = 0, 1, 2, ...) have derivatives of all orders with respect to τ , on the segment $0 = \tau$. L. The matrices $A_{O}(\tau)$ and $B_{O}(\tau)$ are symmetric. A system of linear equations is considered, where λ_{V} is the V-th root of the equation $Det/B_{O}(\tau) - A_{O}(\tau)/=0 \qquad (4)$

(assuming the λ_{ν} all different). The corresponding functions $\mu_{\nu,j}(\tau)$ (ν , $j=1, 2, \ldots, n$) are assumed to satisfy

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On the dynamic forces in an ...

26754 S/U21/60/000/011/002/009 D204/D302

$$(A_0(\tau) u_i(\tau), u_k(\tau)) = \delta_{ik} \begin{cases} 1 & i = k \\ 0 & i \neq k \end{cases}$$
 (i,k = 1, 2, ..., n). (5)

It follows that the functions $\lambda_{\mathcal{O}}(\tau)$, $\mu_{\mathcal{V}_{\mathcal{J}}}(\tau)$ also possess derivatives of all orders with respect to τ , on the segment $0 \leq \tau \leq L$. Theorem 1: If the matrices $A_{\mathbf{S}}(\tau)$, $C_{\mathbf{S}}(\tau)$, $B_{\mathbf{S}}(\tau)$ and the vectors $P_{\mathbf{S}}(\tau)$, (s = 0, 1, ...) have derivatives of all orders with respect to the segment $0 \leq \tau \leq L$ and $A_{\mathbf{O}}(\tau)$ and $B_{\mathbf{O}}(\tau)$ are symmetric then the asymptotic partial solution of (1) may be written

$$q = [\mu_1(\tau) + \in \Pi(\tau, \in)] \zeta + H(\tau, \in)$$
 (6)

where ζ is a scalar function which is determined from

$$\frac{\mathrm{d}\zeta}{\mathrm{d}t} = [D(\tau, \epsilon) + i\Omega(\tau, \epsilon)]\zeta, \tag{7}$$

Card 3/5

26754 \$/021/60/000/011/002/009 D204/D3U2

On the dynamic forces in an ...

where

$$D(\tau, \epsilon) = \sum_{i=1}^{\infty} s^{i} D_{i}(\tau), \quad \Omega(\tau, \epsilon) = \sum_{i=0}^{\infty} \epsilon^{i} \Omega_{\epsilon}(\tau),$$

$$\Pi(\tau, \epsilon) = \sum_{i=0}^{\infty} \epsilon^{i} \Pi_{\epsilon}(\tau), \quad H(\tau, \epsilon) = \sum_{i=0}^{\infty} \epsilon^{i} H_{\epsilon}(\tau)$$
(8)

[Abstractor's note: "of the vector $P_{\xi}(\tau)$ " is incorrectly written for "the vectors $P_{g}(\tau)$ " in the text]. Theorem 2: If $A_{g}(\tau)$, $B_{g}(\tau)$, $C_{g}(\tau)$ and the vectors $P_{g}(\tau)$ satisfy the conditions of Theorem 1, then for arbitrary L>0 there can be found some ϵ_{0} (0 $<\epsilon<\epsilon_{0}$) and a constant C_{m}^{*} independent of ϵ so that the inequalities

$$/q - q_m / \leqslant c_m^* \in m^*$$
, $/q - q_m / \leqslant c_m^* \in m^*$ (12)

Card 4/5

2675h \$/021/60/000/011/002/009 D204/D302

On the dynamic forces in an ...

hold. [Abstractor's note: The repetition of the inequality (12) seems almost certain to be a misprint]. Similarly solutions can be found for the remaining vectors $\mu_{\nu}(\tau)$ ($\nu = 2, 3, \ldots, n$). The method is then applied to the problem of the elastic-viscous thread, q and $P(\tau, \epsilon)$ becoming two-dimensional vectors, and $A(\tau, \epsilon)$, $C(\tau, \epsilon)$ and $B(\tau, \epsilon)$ becoming matrices of the second order. [Abstractor's note: Throughout the treatment of the problem, numerous symbols are left undefined]. There are 3 Soviet-bloc references.

ASSOCIATION: Instytut mekhaniky AN URSR (Institute of Mechanics AS UkrSSR (Savin); Instytut matematyky AN URSR (Institute of Mathematics of the AS UkrSSR) (Feshchenko)

SUBMITTED: June 15, 1960

Card 5/5

28707

\$/021/61/000/008/002/011

D210/D303

16.6800 (1253, 1327, 1024)

AUTHORS: Feshchenko, S.F., and Nikolenka, L.D.

TITLE: Calculations connected with asymptotic

Calculations connected with asymptotic splitting of a system of ordinary linear differential equations

on quick response computers

PERIODICAL: Akademiya nauk Ukrayins'koyi RSR. Dopovidi, no. 8,

1961, 990-993

TEXT: The discussion of a system of linear differential equations of high order is considerably simplified if one applies initially a transformation which splits the system into several independent systems of the lower order. If the coefficients of the given system

$$\frac{\mathrm{d}\mathbf{x}}{\mathrm{d}\mathbf{t}} = \mathbf{A} \ (\mathbf{t}) \ \mathbf{x} \ (\mathbf{t}), \ 0 \leqslant \mathbf{t} \ \frac{\mathbf{h}}{\varepsilon}$$
 (1)

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28707

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Calculations connected with ...

- x(t) being an n-dimensional vector, A($\overline{\iota}$) a matrix of the order (n,n) - depend in a certain manner on t and on the parameter $\xi>0$, i.e. are functions of $T=\xi t$, the splitting is performed with the aid of the well-known asymptotic method by S.F. Feshchenko (Ref. 1: Doct.diss. K, 1950) and Kh.L. Territin (Ref. 2: Matematika 1: 2, 29 (1957)). The present paper proposes a method which makes it possible to split the system (1) on quick response computers. It is not necessary to know all the eigenvalues of the matrix A (\mathcal{U}) which is especially useful in the cases of nearly equal or multiple (at certain values of $\overline{\iota}$) roots of the characteristic equation. 1) Let the factor decomposition of the characteristic polynominal D(λ) be known for any $\overline{\iota}$ from the interval $0 \le \mathcal{T} \le h$:

 $D(\lambda) = \prod_{i=1}^{k} D_{i}(\lambda)$ (2)

where Card 2/8

W

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Calculations connected with ...

 $D_{1}(\lambda) = \lambda^{m_{1}} + \alpha_{11} \lambda^{m_{1}-1} + \cdots + \alpha_{m_{1}-1, 1} \lambda + \alpha_{m_{1}}, \sum_{i=1}^{k} m_{i} = n$ (3)

It is supposed that the degree of each factor does not change in the whole interval $0 \leqslant T \leqslant h$, all factors are prime to each other, and each one of them may have nearly equal or multiple roots at some values of T. The factors (3) can be obtained by determining all isolated eigenvalues of A(T) and finding the factor which corresponds to the rest of the roots. It is known that in a manner corresponding to (2), the n-dimensional space R can be decomposed into a direct sum of k subspaces invariant with respect to A(T); in the basis formed by linearly independent vectors of these subspaces, A(T) has a quasi-diagonal form

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Calculations connected with ... D210/D303

$$\mathbf{X}^{-1}\mathbf{A}(\mathcal{T})\mathbf{X} = \left[\mathbf{A}_{1}(\mathcal{T}), \ \mathbf{A}_{2}(\mathcal{T}), \dots \ \mathbf{A}_{k}(\mathcal{T})\right] \tag{4}$$

X being the matrix of transformation to new coordinates, $A_i(\mathcal{T})$ (i = 1,2 ... k) - constituent matrices of the order m_i . This decomposition can be found with the aid of the operators of "parallel projection" $P_i(\mathcal{T})$ (i = 1,2... k) i.e. operators having the following properties:

$$P_{\underline{i}}^{2}(\mathcal{T}) = P_{\underline{i}}(\mathcal{T}), P_{\underline{i}}(\mathcal{T})P_{\underline{j}}(\mathcal{T}) = 0 \ (\underline{i} \neq \underline{j}), \sum_{\underline{i}=1}^{K} P_{\underline{i}}(\mathcal{T}) = E$$
 (5)

E being the unit matrix. The operators $P_{i}(\mathcal{T})$ are determined for every \mathcal{T} . If one knows the operators $P_{i}(\mathcal{T})$ one can find the

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28707 S/021/61/000/008/002/011 D210/D303

Calculations connected with ...

bases of corresponding subspaces. It is sufficient to use the fact that $P_1(\mathcal{T})$ makes equal to 0 any vector which does not belong to the subspace $P_1(\mathcal{T})$ R, i.e. one can take as a basis of $P_1(\mathcal{T})$ R the orthonormalized solutions of the algebraical system

$$\left[E - P_{i}(\mathcal{T})\right]X_{i} = 0 \tag{8}$$

2) According to the expansion Equation (2) one must look for the solution of Equation (1) having the form

$$x(t,\varepsilon) = \sum_{i=1}^{k} U_{i}(\tau,\varepsilon) \underline{\xi}_{i}(t,\varepsilon)$$
 (9)

 $U_i(\tau, \epsilon)$ being a matrix of the rank (n, m_i) and $E_i(t, \epsilon)$ an n-dimensional vector satisfying

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Calculations connected with ...

S/021/61/000/008/002/011 D210/D303

$$\frac{d\xi_{i}}{dt} = A_{i}(\tau)\xi_{i}(t,\epsilon), i = 1,2, ..., k$$
 (10)

 $A_{\underline{i}}(\mathcal{T})$ is a matrix of the rank $(m_{\underline{i}}, m_{\underline{i}})$. The unknown matrices $U_{\underline{i}}(\mathcal{T}, \mathcal{E})$ in the relation Eq. (9) are determined. The elements of the expansions

$$U_{\mathbf{i}}(\mathcal{T}, \varepsilon) = \sum_{\mathbf{s}=0}^{\infty} \varepsilon^{\mathbf{s}} U_{\mathbf{i}}^{(\mathbf{s})}(\mathcal{T}), \quad A_{\mathbf{i}}(\mathcal{T}, \varepsilon) = \sum_{\mathbf{s}=0}^{\infty} \varepsilon^{\mathbf{s}} A_{\mathbf{i}}^{(\mathbf{s})}(\mathcal{T})$$
 (12)

can be found from the system of algebraical equations

$$A(\mathcal{T}) \ U_{1}^{(0)}(\mathcal{T}) - U_{1}^{(0)}(\mathcal{T})A_{1}^{(0)}(\mathcal{T}) = 0$$
 (13)

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Calculations connected with ...

and

$$A(\mathcal{T})U_{\mathbf{1}}^{(8)}(\mathcal{T}) - U_{\mathbf{1}}^{(8)}(\mathcal{T}) A_{\mathbf{1}}^{(0)}(\mathcal{T}) = F_{\mathbf{8}}(\mathcal{T})$$
(14)

where

$$\begin{split} \mathbf{F}_{\mathbf{s}}(\mathcal{T}) &= \mathbf{U}^{\left(0\right)}(\mathcal{T})\mathbf{A}_{\mathbf{i}}^{\left(\mathbf{s}\right)}(\mathcal{T}) + \mathbf{U}_{\mathbf{i}}^{\left(1\right)}(\mathcal{T})\mathbf{A}_{\mathbf{i}}^{\left(\mathbf{s}-1\right)}(\mathcal{T}) + \cdots + \\ &+ \mathbf{U}_{\mathbf{i}}^{\left(\mathbf{s}-1\right)}(\mathcal{T})\mathbf{A}_{\mathbf{i}}^{\left(1\right)}(\mathcal{T}) + \frac{\mathbf{d}\mathbf{U}_{\mathbf{i}}^{\left(\mathbf{s}-1\right)}}{\mathbf{d}\mathcal{T}} \end{split}$$

The matrix $U_{i}^{(0)}(\mathcal{I})$, as a basis of the m_{i} -dimensional subspace that is invariant with respect to A (\mathcal{I}) can obviously be determined Card 7/8

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S/021/61/000/008/002/011 D210/D303

Calculations connected with ...

according to (1). There are 5 Soviet-bloc references.

Instytut matematyky AN URSR (Institute of Mathematics, AS UkrRSR) ASSOCIATION:

PRESENTED:

by Academician AS UkrSSR, Y.Z. Shtokalo

SUBMITTED:

March 6, 1961

Card 8/8

27677 8/041/61/013/003/010/010 B112/B125

14.6500

AUTHORS:

Feshchenko, S. F., Nikolenko, L. D.

TITLE:

On the problem of splitting a system of ordinary linear

differential equations for calculation purposes

Ukrainskiy matematicheskiy zhurnal, v. 13, no. 3, 1961, PERIODICAL: 109-113

TEXT: The authors split the system of equations $dx/dt = A(\tau)x$, $\tau = \mathcal{E}t$

into two systems:

 $d\xi_1/dt = \Lambda(\tau, \varepsilon)\xi_1$, $d\xi_2/dt = W(\tau, \varepsilon)\xi_2$ (5), (6)

which can be solved by means of rapid computers. Ais a diagonal matrix. This splitting is made by two matrices $U_1(\tau, \mathcal{E})$ and $U_2(\tau, \mathcal{E})$:

 $x = U_1 \int_{1}^{1} + U_2 \int_{2}^{1}$. In order to determine U_1 and U_2 the authors solve the two

equations: $\varepsilon dU_1/d\tau + U_1\Lambda = AU_1$, $\varepsilon dU_2/d\tau + U_2W = AU_2$ (7), (7') in the following way: equation (7) is solved according to B. I. Rabinovich and I. M. Rapoport (O dvizhenii tverdogo tela s polostyami,

Card 1/3

27677 8/041/61/013/003/010/010 B112/B125

On the problem of splitting ...

chastichno zapolnennymi zhidkost'yu, 1960); equation (7') is solved by series expansion with respect to the small parameter \mathcal{E} :

$$\begin{array}{l} \mathbb{U}_{2}(\tau, \mathcal{E}) = \sum_{s=0}^{\infty} \mathcal{E}^{s} \mathbb{U}_{2}^{(s)} \quad (\tau) \quad (8), \ \mathbb{W}(\tau, \mathcal{E}) = \sum_{s=0}^{\infty} \mathcal{E}^{s} \mathbb{W}^{(s)} \quad (\tau) \quad (9). \quad \mathbb{U}_{2}^{(s)} \text{ and } \\ \mathbb{W}^{(s)} \text{ are determined from the equations:} \\ \mathbb{A}\mathbb{U}_{2}^{(s)} - \mathbb{U}_{2}^{(s)} \mathbb{W}^{(s)} = \mathbb{F}_{s}, \quad (11) \quad \mathbb{F}_{s} = \mathbb{U}_{2}^{(o)} \mathbb{W}^{(s)} + \mathbb{U}_{2}^{(1)} \mathbb{W}^{(s-1)} + \dots + \mathbb{U}_{2}^{(s-1)} \mathbb{W}^{(1)} \end{array}$$

+
$$dU_2^{(s-1)}/d\tau$$
, $(s = 1, 2, ...)$, $F_0 = 0$. The following result is obtained:
 $U_2^{(s)} = d_1(A) \begin{bmatrix} M_2^{-1} & M_2^{-2} \\ M_3^{-1} & M_2^{-1} \end{bmatrix}$. The matrices

We are calculated according to the recurrence formulas
$$W_1 = W^{(0)} + a_1E$$
,

 $W_2 = W_1W^{(0)} + a_2E$, $W_{m_2-1} = W_{m_2-2}W^{(0)} + a_{m_2-1}E$. The numbers a_1 , a_2 ,..., a_{m_2-1}

are the coefficients of a polynomial $D_2(\lambda) = D(\lambda)/D_1(\lambda)$. $D(\lambda)$ is the characteristic polynomial of A; D_1 is the factor of D which has only isolated roots. The polynomial $d_1(\lambda)$ is defined by the representation: Card 2/3

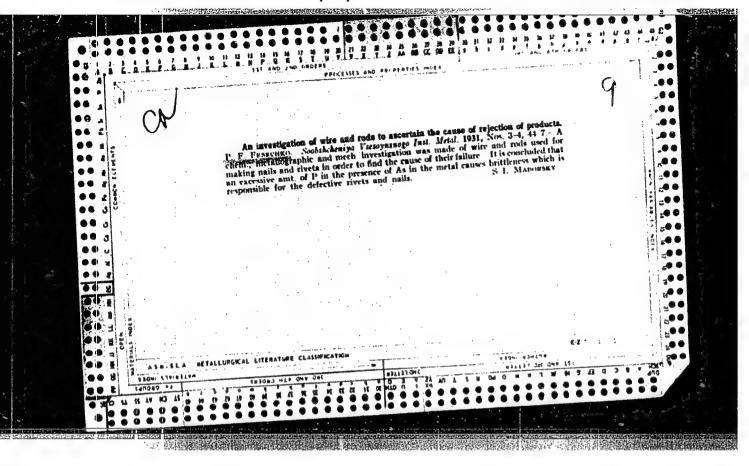
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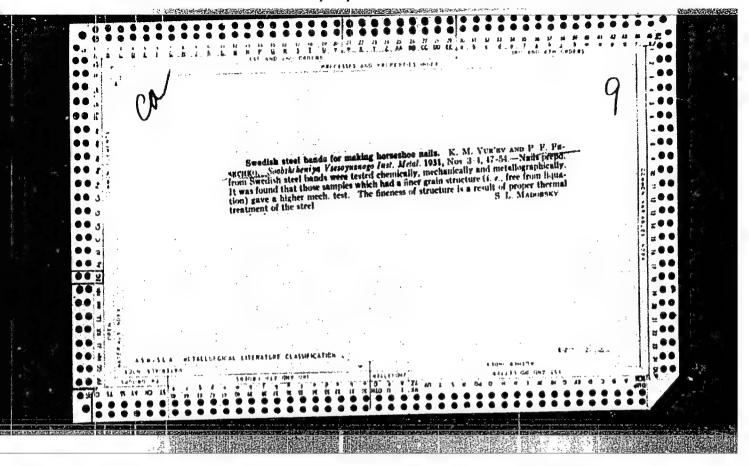
On the problem of splitting ...

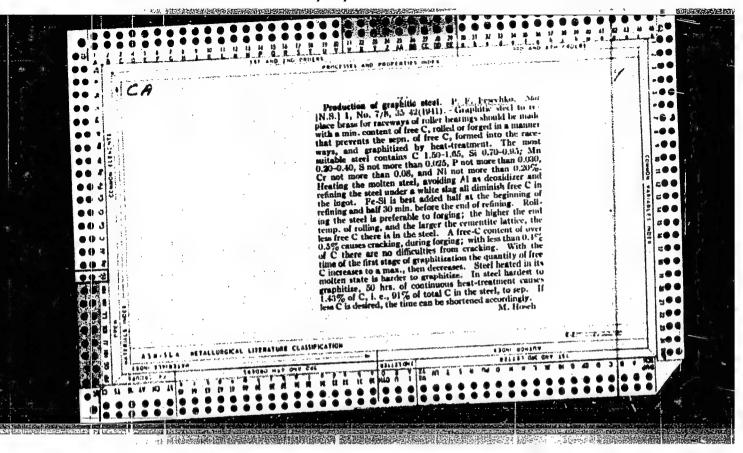
 $1/D = d_1/D_1 + d_2/D_2$. The authors mention S. F. Feshchenko (Thesis 1950) and Yu. L. Daletskiy (DAN SSSR, t. XCII, No. 5, 1953). There are 4 Soviet and 1 non-Soviet references.

SUBMITTED: February 20, 1961, Kiyev

Card 3/3

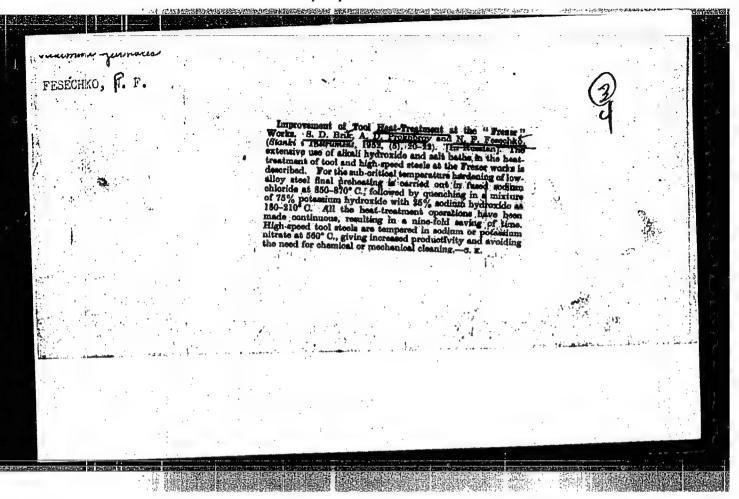




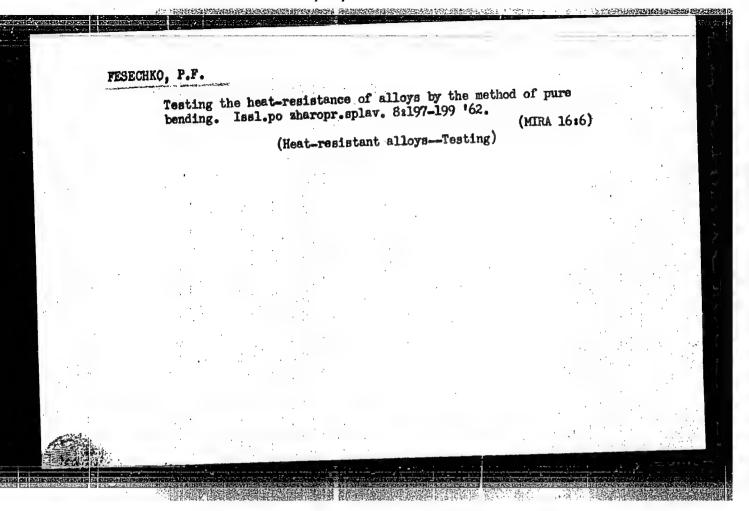


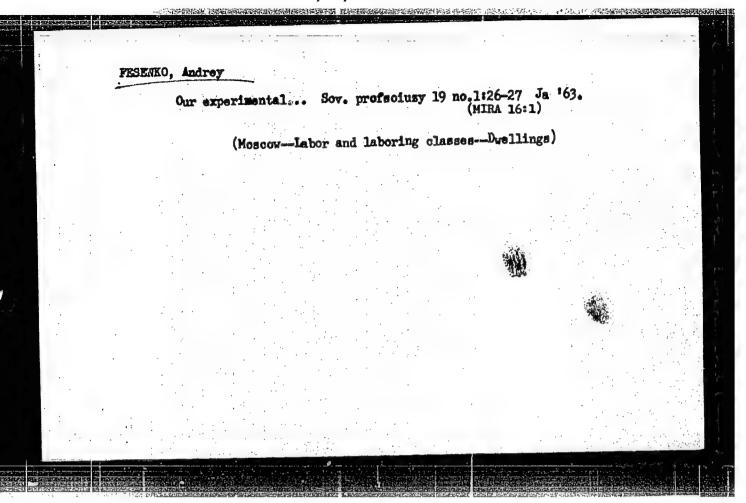
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3/659/62/008/000/025/028 1048/1248

AUTHOR:

Fesechko, P.F.

TITLE:

A pure-bend test for refractory alloys

SOURCE:

Akademiye nauk SSSR. Institut metallurgii, Issledovaniya

po zharoprochnym splavam. v.8. 1962. 197-199

TEXT: The test consists in the application of forces acting perpendicularly to the axis of the test specimen in a way that only normal stresses are generated. The apparatus can be used both in vacuo and under atmospheric pressure, at temperatures through 1400°C; resistance heating with either a.c. or d.c. is used. The specimens are rods 4 mm. in diameter and 130 mm. long. Results obtained with high-C steel, and iron-based refractory alloy, and 5 other (unidentified) refractory alloys are presented graphically, within the coordinates deflection-temperature. In all cases the deflection was insignificant (about 0.2 mm.) at low temperatures, but rised sharply at a certain temperature and reached 6.5-7.5 mm.; this temperature

Card 1/2

CIA-RDP86-00513R000412920005-8

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A pure-bend test for refractory ...

was $450-550^{\circ}$ C for the Fe-based alloys and above 1000° C for the other alloys. The method can be used to determine the yield strength of the test specimens, by charting the stress-strain diagrams at a given temperature for both the loaded condition and after the removal of the load. There is 1 figure.

ON A THE PARTY PARTY OF THE PAR

Card 2/2

IVANOV, Yu.S.; PASSENCO, A.I.

Increasing the efficiency of Vilson chambers operating in synchrotron photon beams. Prib.i tekh.eksp.no.3:36-38 N-D 156. (MEMA 10:2)

1. Fisicheskiy institut im. P.N. Lebedsva AF SSSR. (Cloud chamber)

THE SERVICE OF THE PROPERTY OF USSR / Soil Science Tilling. Melioration. Erosion. : Ref Zhur - Biologiya, No 11, 1958, No. 48685 Abs Jour : Fosenko, A. I.; Sulima, A. G. : Utrainian Scientific Research Institute of Author Inst Irrigated Agriculture : The Fall Cultivation of the Soil Title : Byul. nauchno-tekhn. inform. Ukr. n.-i. in-t oroshayemogo zemled., 1957, No 3, 30-32 Orig Pub : An average increase by 2 centners/ha. in the barley yield was obtained at the Genich Experi-Abstract mental and Melioration Station after fall harrowing of the soil plowed in autumn: repeated surface plowing is expedient only on plots with weeds, and for the purpose of reducing the loss of soil moisture by evaporation. --F. N. Sofiyeva card 1/1

FESENKO, A.I ORIGOR'YEV, A.P., FOPORKOVA, B.I. FESENKO, A.I. AUTHOR An Anomalous Decay of Hypenusleus. TITLE (Anomalanyy raspas gipersas a. - hussian) Zhurnal Eksperim. i Teoret. Fiziki 1957, Vol 32, Nr 6, PERIODICAL (USSR) p 1589 An uncommon decay of a hyperfragment was discovered in ABSTRACT an emulsion chamber (emulsion HIKFI Type "P") which was irradiated by cosmic rays in the stratosphere. A star of the type 10 + On emits a hyperfragment which, after passing through a course of 2930 m, disintegrates during flight into three charged particles. These particles come to a standstill already in the emulsion chamber. A microphotograph is attached and the data on the products of decay are shown in a table. The masses of the products of decay were determined by means of the method density range (with respect to the pions). The charge and the remaining rangs of the hyperfragment in the emulsion were determined from the density of the δ electrons along the remaining range; they amounted to 20 and 600 ± 100 a. respectively. As the mass of one of the produced particles is equal to 850 + 300 mass of electrons, it is naturally possible to presume that here CARD 1/3

An Anomalous Decay of a Hypernucleus.

56-6-53/56

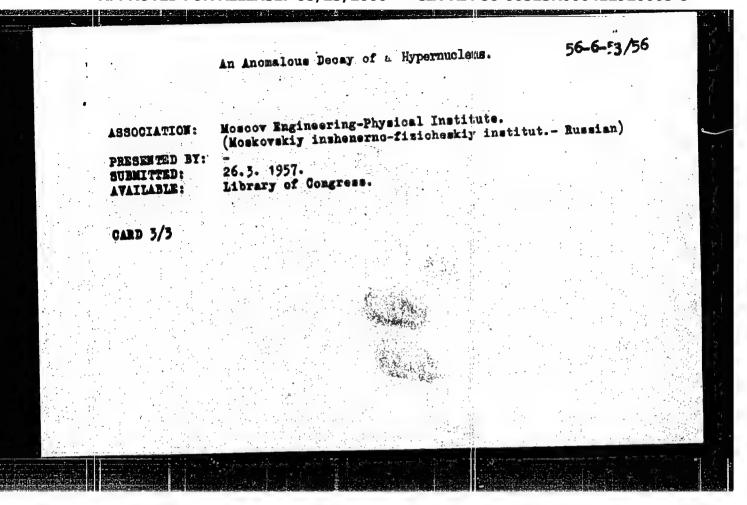
a K-meson is concerned, As, on the other hand, the charge of the hyperfragment determined with great accuracy, is equal to 2e, the K-meson can be assumed to be negative. (Also the lack of decay products in the case of the K-meson tends to indicate a negative charge of the K-meson). The noncomplanarity of the products of decay of the hyperfragment tends to indicate the flying-off of at least one neutron; its energy is determined from the vector diagram of the momenta. Thus it may be assumed that the hyperfragment decays either according to the scheme

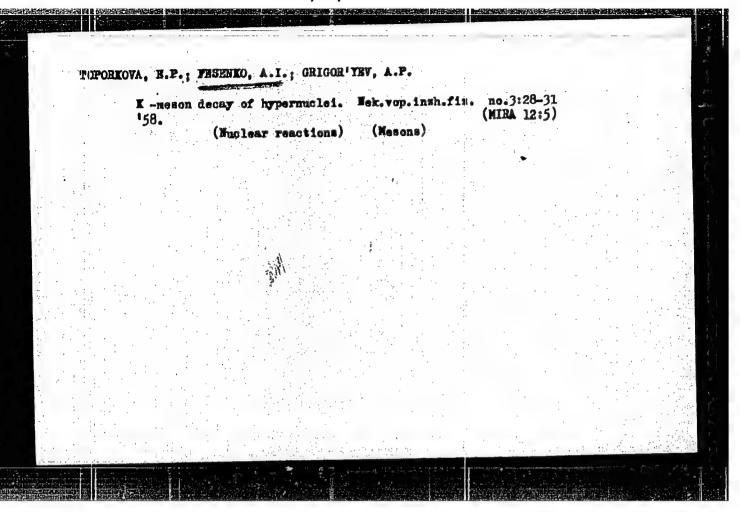
$$(\text{He}_2^5)^{+}$$
 - H_1^1 + K^- + n + He_2^3 + (103 ± 5) MeV or the scheme

$$(\text{He}_2^6)^* = \text{H}_1^1 + \text{K}^- + \text{n} + \text{He}_2^4 + (110 \pm 6) \text{ MeV}$$
.

when determining the energy the mass of the K-meson was assumed to be equal to 966,7 electron masses. If it is assumed that the hyperfragment, as a result of the decay of a certain bound hyperon disintegrates, the mass of this hyperon is equal to 3000 electron masses. The estimation of the life of the hyperon gives the amount 5.10-11 sec. The here discussed case is at present being studied more closely.

CARD 2/3





507/56-35-5-43/56 21(7). Ivanov, Yu. M., Fesenko, A. I. ATTHORS: The Depolarization of μ -Mesons in Nuclear Emulsions With TITLE: Varying Content of Gelatin (Depolyarizatelya # -mezonov v yadernykh emul'siyakh s raslichnym sodershaniyem shelatiny) Zhurnal eksperimental noy i teoreticheskoy fiziki, 1958, PERIODICAL: Vol/35, Nr 5, pp 1297-1298 (USSR) The present paper aims at explaining the dependence of the ABSTRACT: spin depolarization of a positive myon on the relative share of the different components of the emulsion. For this purpose the asymmetry of the distribution of the electrons emitted in the μ -e decay acts (in a forward and rearward direction) is investigated. A chamber composed of layers of (type "R") emulsions was irradiated with the usual NIKFI a positive pion beam of the phasotrom of the OIYaI (Joint Institute for Nuclear Research). During investigation of the emulsion, the $\pi^+ \to \mu^+ \to e^-$ -decays which developed entirely in an emulsion layer, were recorded. Results are given in a table. For the emulsions of all sorts investigated the ratio Card 1/3

SOV/56-35-5-43/56 The Depolarization of \$\mu^+\$-Mesons in Nuclear Emulsions With Varying Content of Gelatin A = 2(N_{backward} - N_{forward})

N_{backward} + N_{forward} Here N backward, N forward denote the number of electrons emitted in a backward and forward direction respectively. Also after taking all corrections and error sources into account the results obtained indicate a growth of angular asymmetry with an increase of the portion per weight of the gelatin in the nuclear emulsion. At present endeavors are being made to obtain more experimental data for the purpose of fully explaining the character of this dependence. Besides, 1198 cases. of $\pi^+ \rightarrow \mu^+ \rightarrow e^+$ -decays were dealt with, which were discovered in a fourfold diluted (C2H2OH). N-containing emulsion. In this case the asymmetry coefficient is (0.182 + 0.058). The authors thank Professor I. I. Gurevich and V. G. Kirillov-Ugryumov for the interest they displayed in this work, and they also express their gratitude to Z. S. Galkina, G. I. Polosina and A. V. Smelyanskaya for their help in investigating the emulsion. There are 1 figure, 2 tables, and 5 references, 1 of which is Soviet. Card 2/3

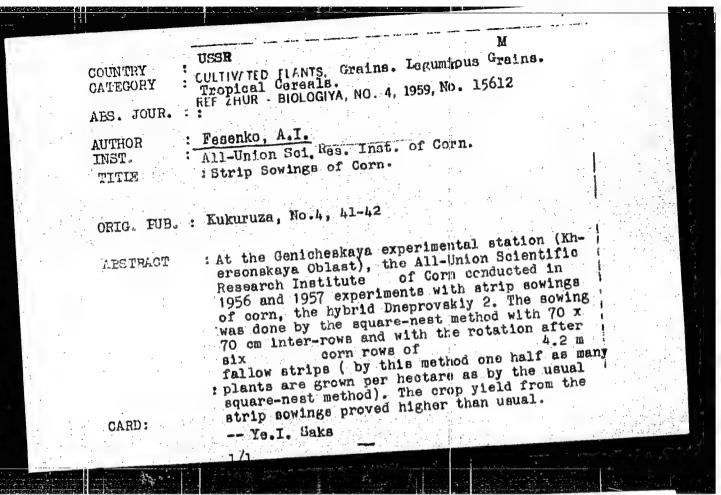
SDV/56-35-5-43/56

The Depolarization of \(\mu^{\frac{1}{2}}\)-Mesons in Muclear Emulsions With Varying Content of Gelatin

ASSOCIATION: Moskovskiy inzhenerno-fizicheskiy Institut (Moscow Engineering-Physics Institute)

SUBMITTED: July 9, 1958

Card 3/3



88418

S/056/60/039/006/002/063 B006/B056

21.5200 AUTHORS:

Ivanov, Yu. M., Fesenko, A. I.

TITLE:

Investigation of the Depolarization of μ^{t} -Mesons in Nuclear

Emulsions

PERIODICAL:

Zhurnal eksperimental'noy i teoreticheskoy fiziki, 1960,

Vol. 39, No. 6 (12), pp. 1492 - 1496

TEXT: The authors wanted to determine the effect of the relative AgBr-content of a nuclear emulsion upon the asymmetry coefficients for the μ^+ - ettent of a nuclear emulsion upon the asymmetry coefficients for the μ^+ - ettent of a nuclear emulsion chamber consisting of free HUKPU-P(NIKFI-R) emulsion decay. An emulsion chamber consisting of free HUKPU-P(NIKFI-R) emulsion layers of four different kinds (with different AgBr-content) was exposed layers of four different kinds (with different AgBr-content) was exposed to a positive 350-Mev pion beam. The chamber was surrounded by a double to a positive 350-Mev pion beam. The chamber was surrounded by a double iron shield, which attenuated the strength of the scattered field of the scattered field of the scattered and the terrestrial field to 0.04 oersted. The flux was succelerator and the terrestrial field to 0.04 oersted. The flux was $5.10^4/\text{cm}^2$. Work was carried out with ordinary, 2-, 3- and 4-fold diluted $5.10^4/\text{cm}^2$. Work was carried out with ordinary, 2-, 3- and 4-fold diluted

5.10⁴/cm². Work was carried out with ordinary, 2-, 3- and 4-1014 diluted WIKFI gelatin emulsion. Concerning the emulsions used, the data of the NIKFI (Scientific Cinematic and Photographic Research Institute), and of the FIAN

Card 1/5

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Investigation of the Depolarization of μ^{t} -Mesons in Nuclear Emulsions

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(Institute of Physics of the AS) are compared with the authors' own data. On the irradiated plates, a total of $454577^+-\mu^+-e^+$ decay events was recorded, and after evaluation (selection of events with μ^+ -path lengths > 50 μ in the emulsion), 38.192 still remained. The numerical results are given in Table 2. After carrying out the corrections, which are discussed in detail, the asymmetric coefficients for the four degrees of dilution of the emulsions were obtained: $A_{2x1} = 0.100 \pm 0.018$; $A_{2x2} = 0.133 \pm 0.022$.

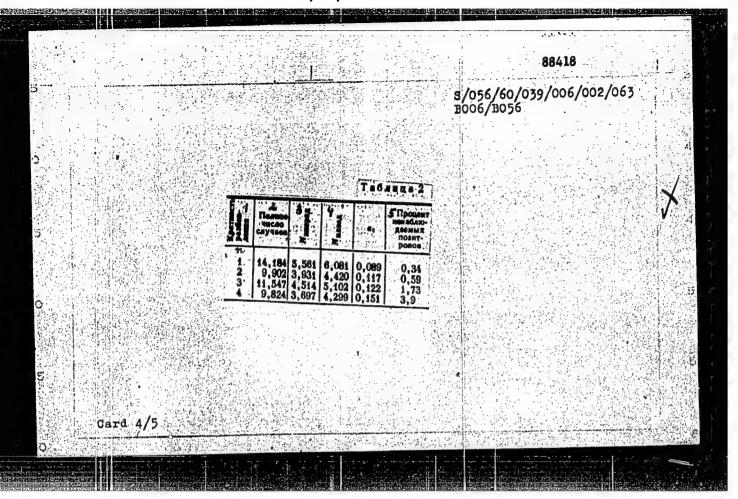
From the data obtained it is possible, by using the formula P = 3d, to determine the residual polarization of μ -mesons in AgBr and gelatin separately. For this purpose formula $P = P_1 \mu + P_2(1-\mu)$ is used, where P_1 and P_2 are the μ -polarization in the decay into gelatin and AgBr,

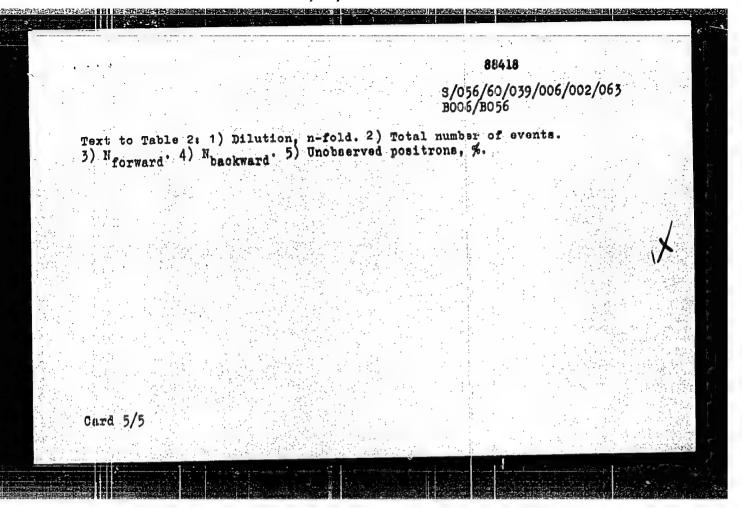
respectively, AgBr, $\Gamma = xS/(1+xS)$ is the relative number of μ^+ stopping points in gelatin, x is the volume ratio of gelatin to AgBr, S is the noderating property of the gelatin referred to that of AgBr. S was between 0.34 and unity, and thus one obtained for P_2 a value of between 0.09 and

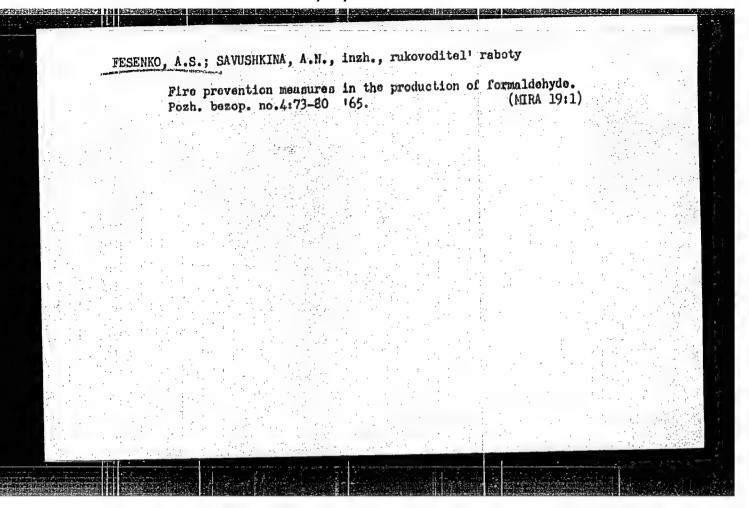
Card 2/5

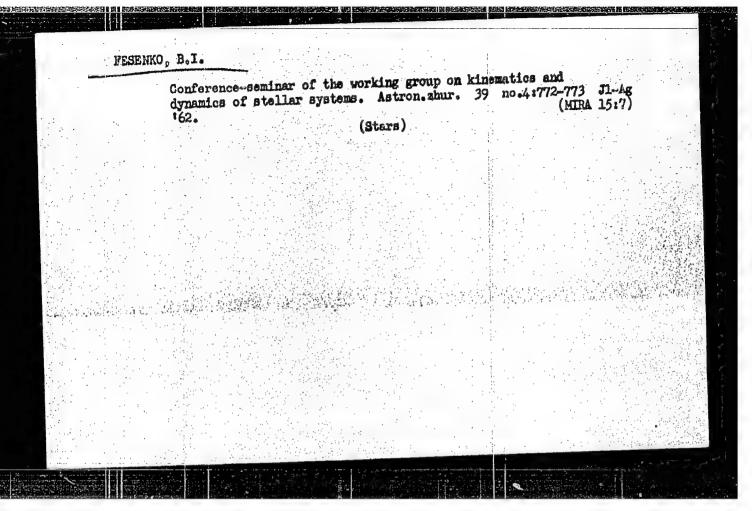
\$/056/60/039/006/002/063 Investigation of the Depolarization of E006/B056 H-Mesons in Nuclear Emulsions 0.12 and for P, of 0.9 - 0.7. An examination of the results obtained by other authors makes a value of S = 0.8 appear to be probable. Thus, $P_1 = 0.72 \pm 0.22$ and $P_2 = 0 \pm 0.11$. The strong μ^+ -depolarization in AgBr is discussed from the viewpoint that the latter, apart from multiple electron exchange, is interrelated with the formation of mesonium. The authors finally thank Professor I. I. Gurevich for his advice and interest, Frofessor V. I. Gol'danskiy and B. A. Nikol'skiy for discussions, and 2. S. Galkin, G. I. Polosin, and A. V. Smelyanskaya for their help in evaluating the emulsions. There are 1 figure, 2 tables, and 20 references: 7 Soviet, 2 Italian, and 10 US. ASSOCIATION: Moskovskiy inzhenerno-fizicheskiy institut (Moscow Institute of Physics and Engineering) April 23, 1960 (initially) and July 28, 1960 (after revision) SUBMITTED: Dard 3/5

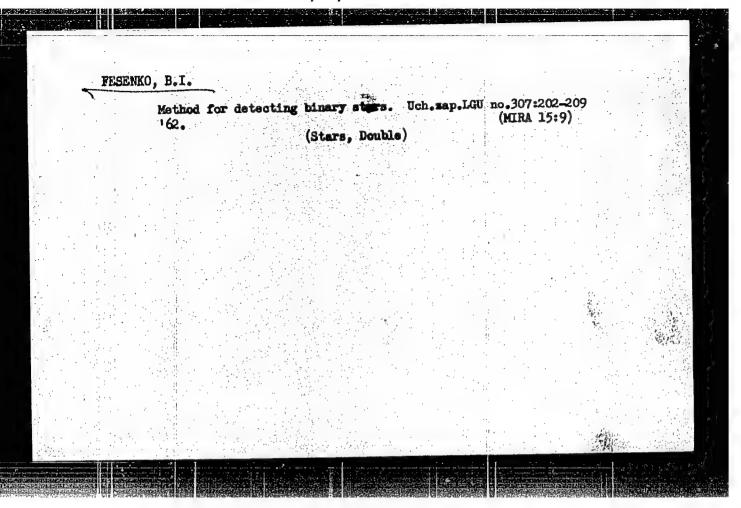
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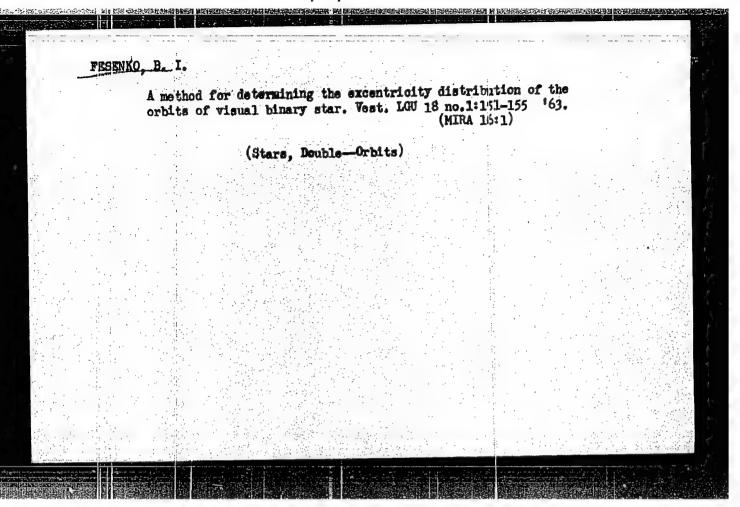




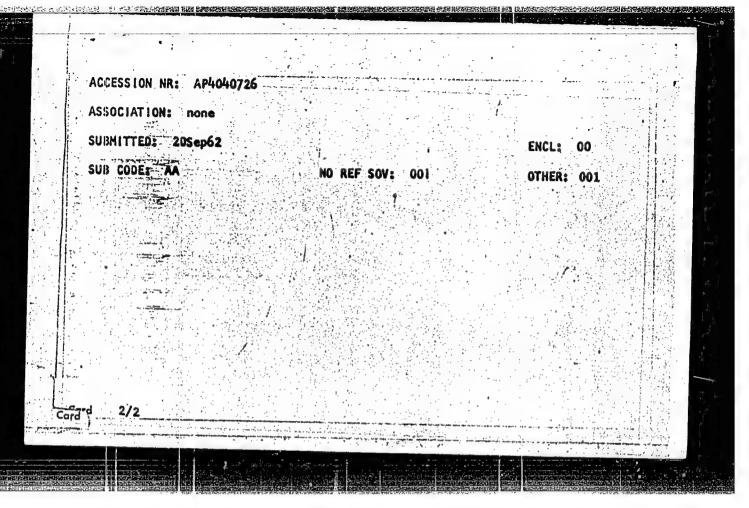


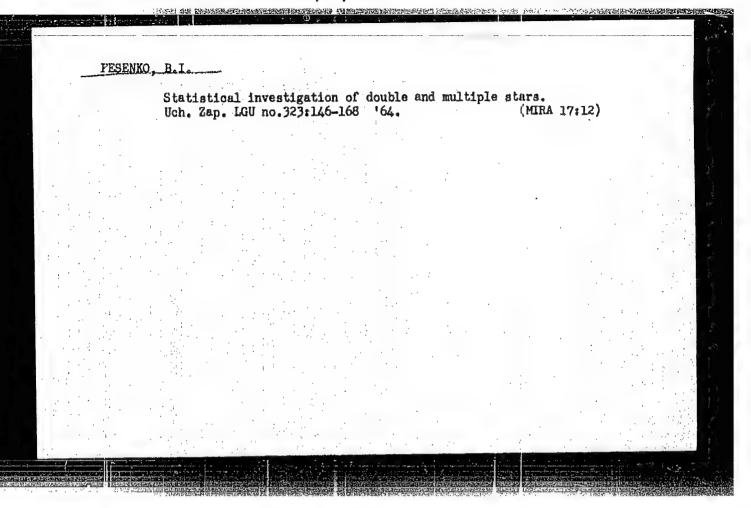


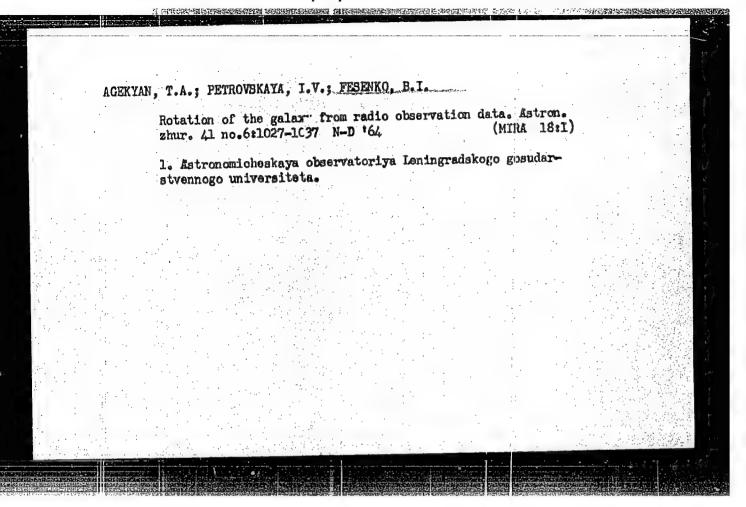


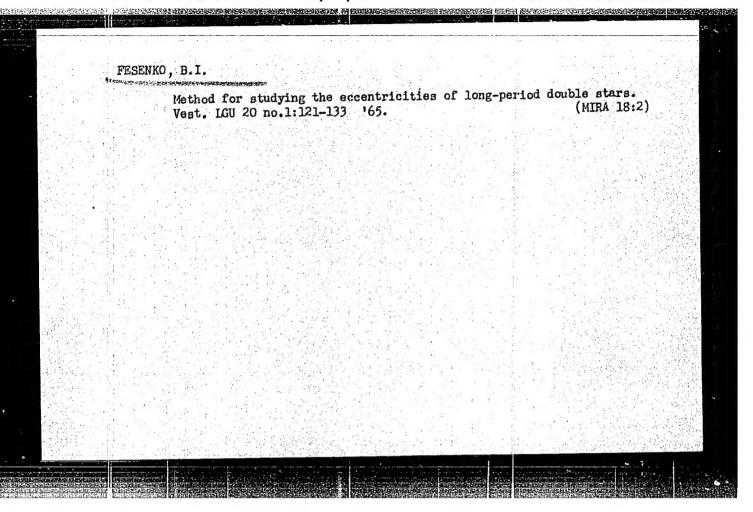


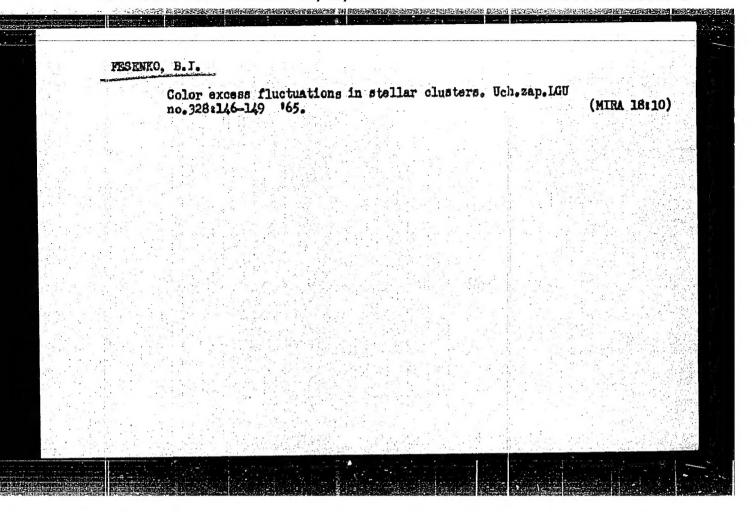
5/0043/64/000/007/0144/0148 ACCESSION NR: AP4040726 AUTHOR: Fesenko, B. I. TITLE: A statistical method for detecting multiple star systems SOURCE: Leningrad. Universitet. Vestnik. Seriya matematiki, mekhaniki i astronomii, ro. 7, 1964, 144-148 TOPIC TAGS: star count, multiple star, binary star, stellar multiplicity ABSTRACT: The paper considers a statistical method for determining the average multiplicity of systems in a stellar field having a certain brightness. The method, based on the scattering of stellar frequencies, is a modification of a previous method suggested by the author (B. I. Fesenko. Uchany*ye zapiski LGU, No. 307, p. 202; 1962) for the detection of binary stars. The method considers only systems in which the components are individually visible on the photograph and excludes a large number of binary systems in which one of the components is brighter and one is weaker than the limiting value. In the present paper, the method is applied to the star count data found on three charts of the Mt. Palomar atlas and in the Parisian zone of the Carte-du-Ciel + 24°. The average multiplicity was found to be 1.59 ± 0.14 and 1.018 ± 0.021 , respectively. Orig. art. 2 tables and 17 formulas.











8/058/63/000/003/069/104 A059/A101 AUTHORS: Prokopalo, C. I., Besenko, B. T. Modification of the dielectric properties of polycrystalline barium TITLE: titanate on the substitution of titanium ions in it by hafnium or thorium ions Referativnyy zhuvnal, Fizika, no. 3,1963, 64, abstract 3B437 PERIODICAL: (In collection: "Segnetoelektriki", Rostov-na-Lonu, Rostovak. un-t. 1961, 123 - 127) An attempt was made to obtain solid solutions of Ba(T1,Hf)03 and Ba(11.Th)03 analogous to the solid solutions of Ba(11.Zr)03 by way of sintering BaT.03 at 1,380 and 1,425°C with the oxides HfO_2 and ThO_3 to which $BaT1O_3$ is added for maintaining the stoichiometric ratio. Solid solutions of Ba(Ti, Zr)O2 were prepared in an analogous way for comparison: their dielectric properties wern found to be similar to the properties of analogous compounds obtained when BaZrO3 was used as the initial product. An increase in the sintering temperature promotes a more uniform distribution of ions over the bulk of the sample which! results in the possibility to obtain materials on the Barioz-basis in which, in Card 1/2

